

Εισαγωγή

Εισαγωγή στην Ακουστική Ωκεανογραφία

Ο ήχος είναι ένα κύμα συμπίεστικότητας (compressional wave) που διαδίδεται σε ένα χωρίο με ταχύτητα που εξαρτάται από το χωρίο διάδοσης.

Το νερό διαδίδει τον ήχο σε μεγάλες αποστάσεις.

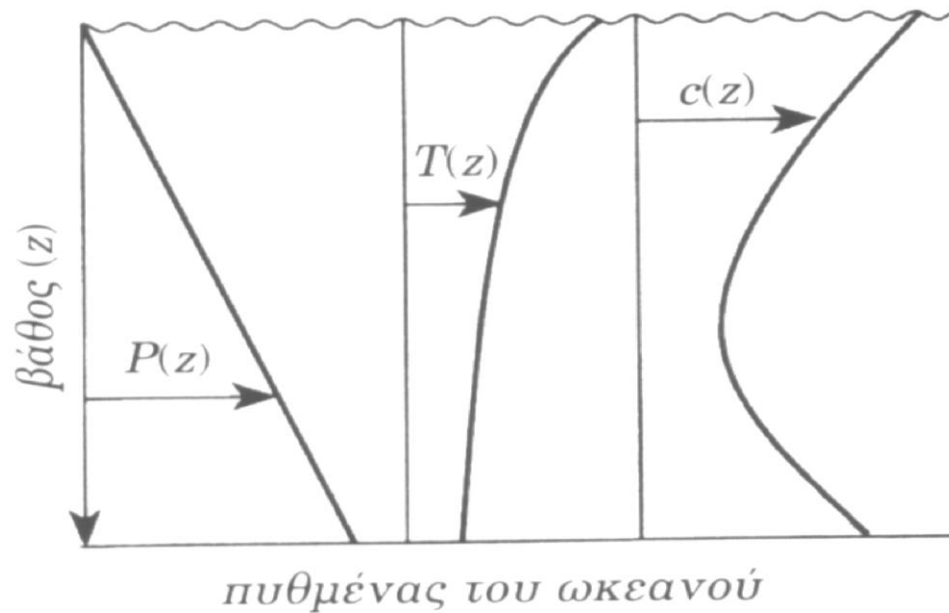
Ταχύτητα διάδοσης του ήχου στο νερό

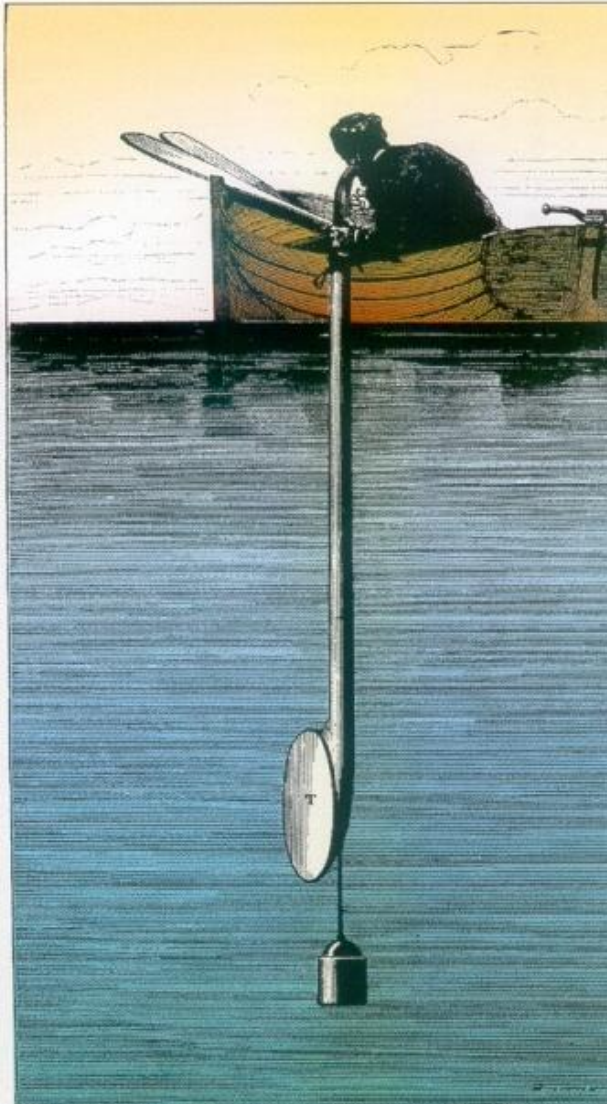
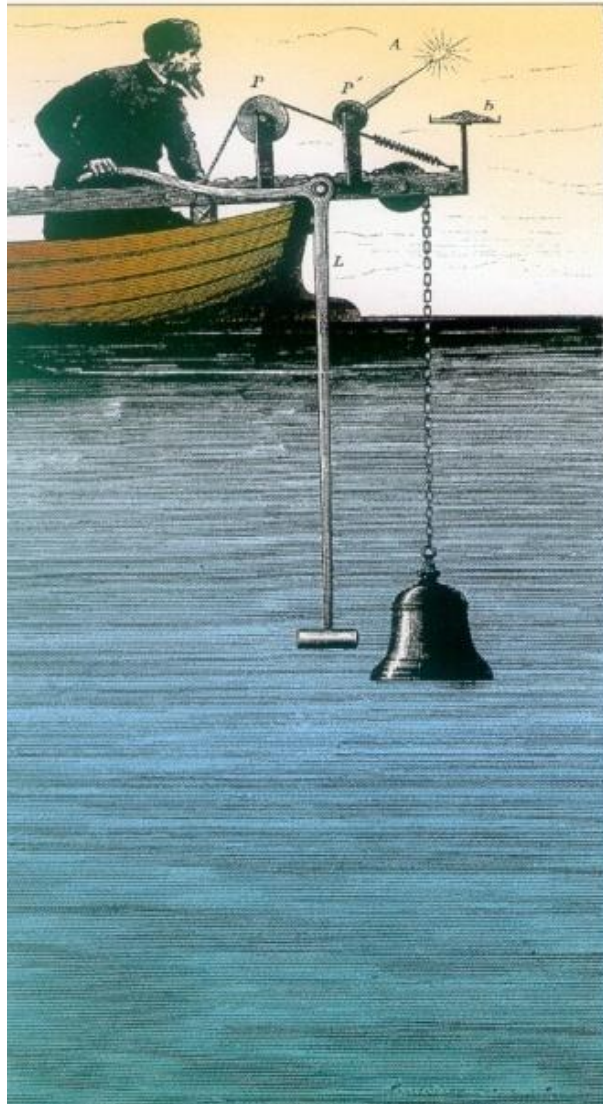
$$c = 1449.2 + 4.6 T - 0.055 T^2 + 0.00029 T^3 + (1.34 - 0.010T)(S - 35) + 0.016 z$$

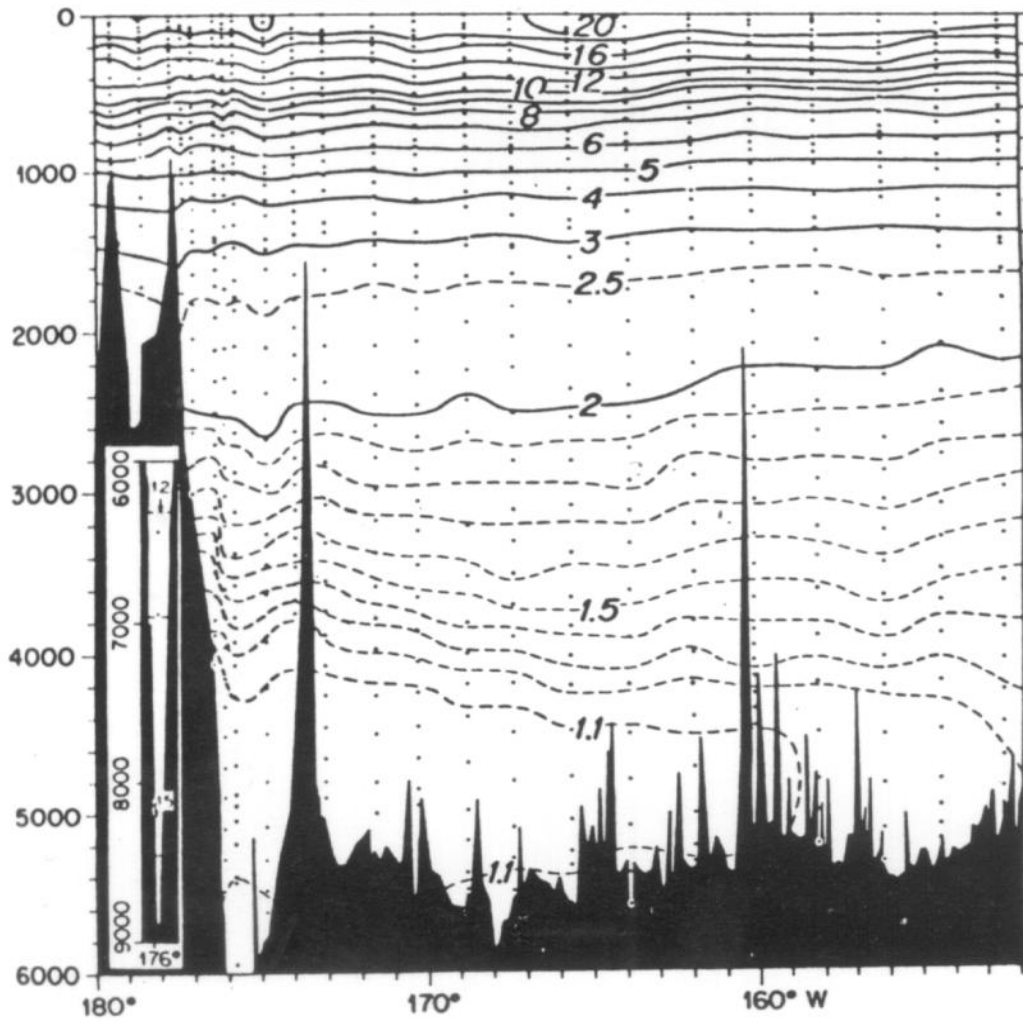
όπου c = ταχύτητα του ήχου (m/s)
 T = θερμοκρασία (°C)
 S = αλατότητα (σε μέρη επί τοις χιλίοις)
 z = βάθος (m)

Η θερμοκρασία της θάλασσας και η πίεση
μεταβάλλονται με το βάθος

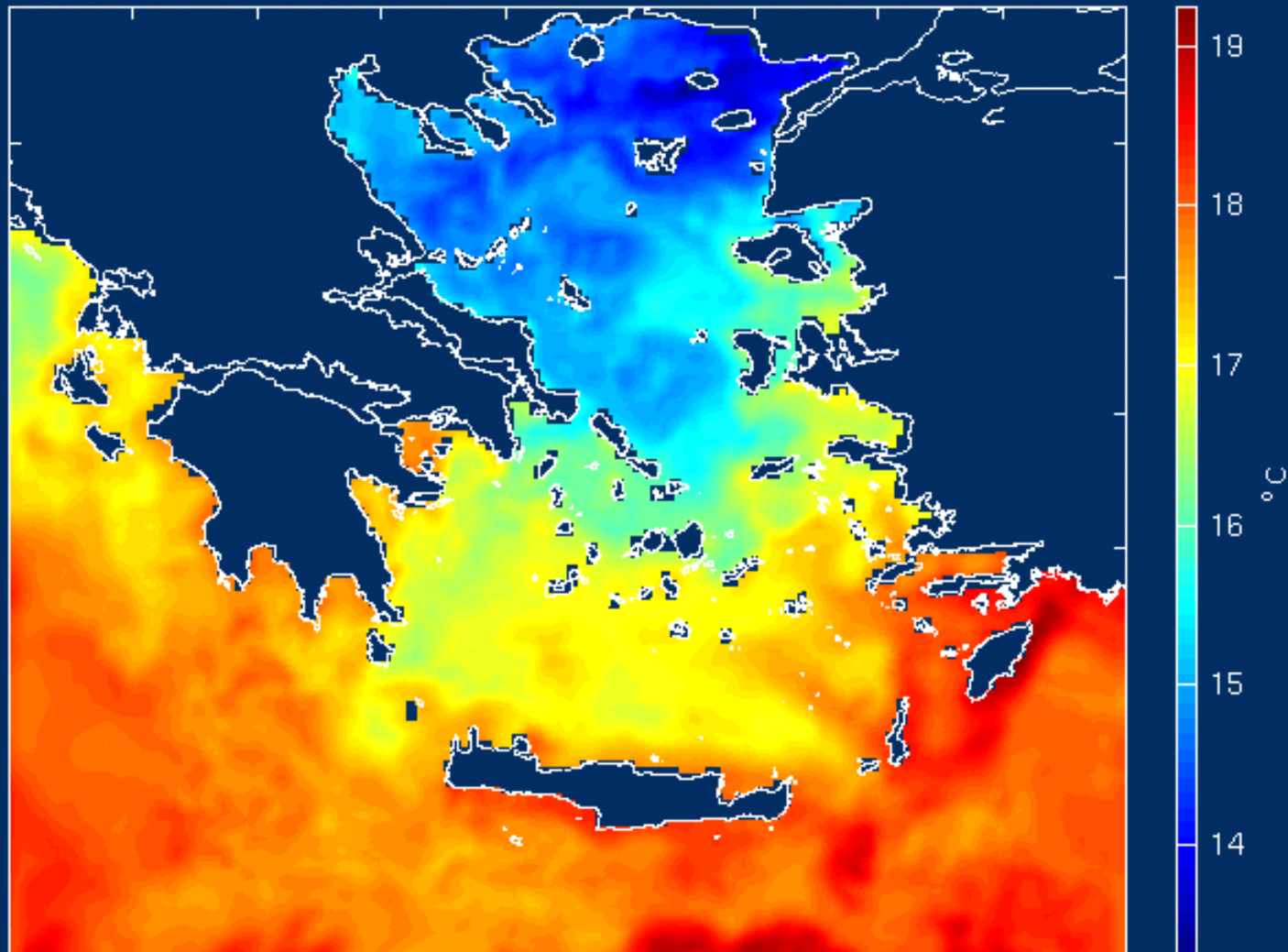
Η ταχύτητα διάδοσης εξαρτάται από τα μεγέθη
αυτά και συνεπώς μεταβάλλεται με το βάθος



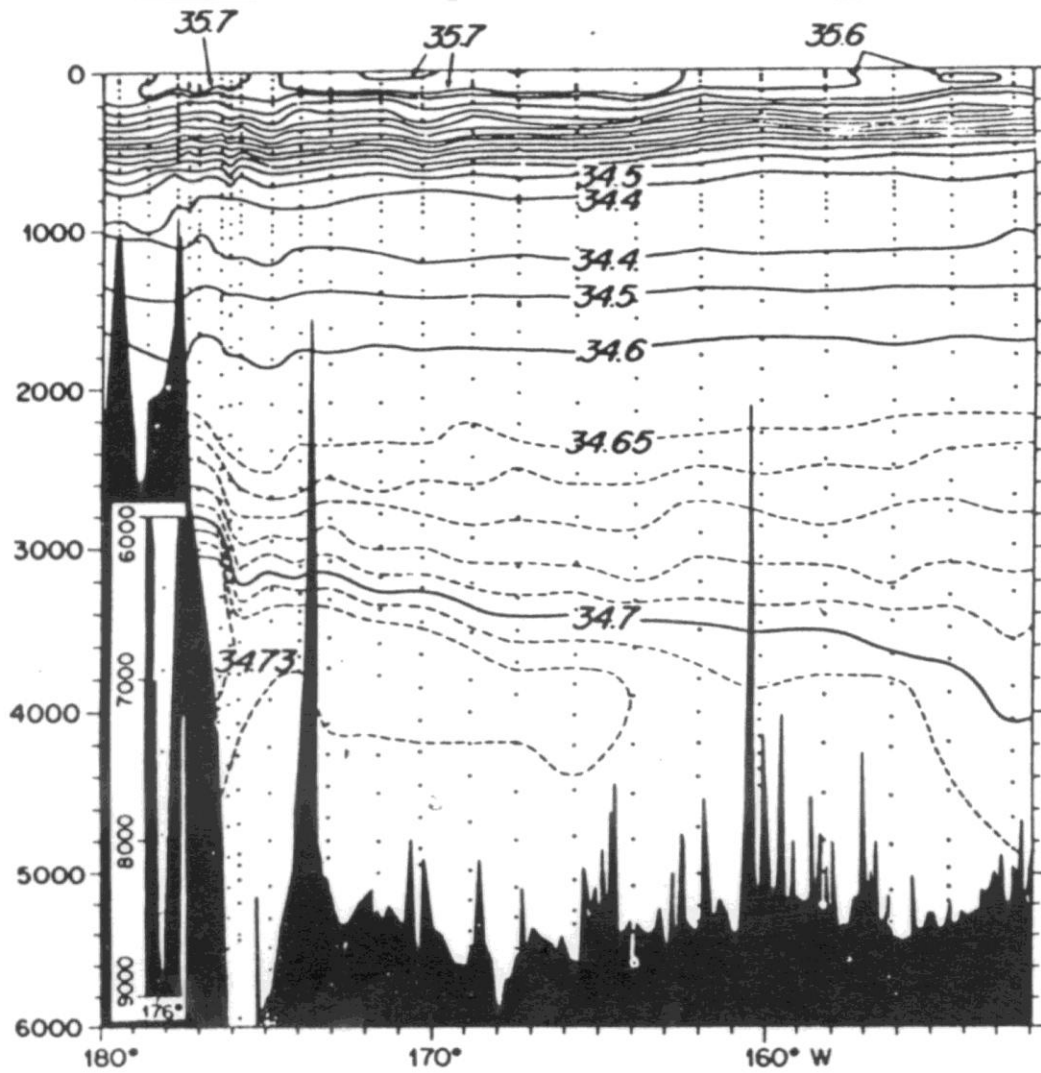




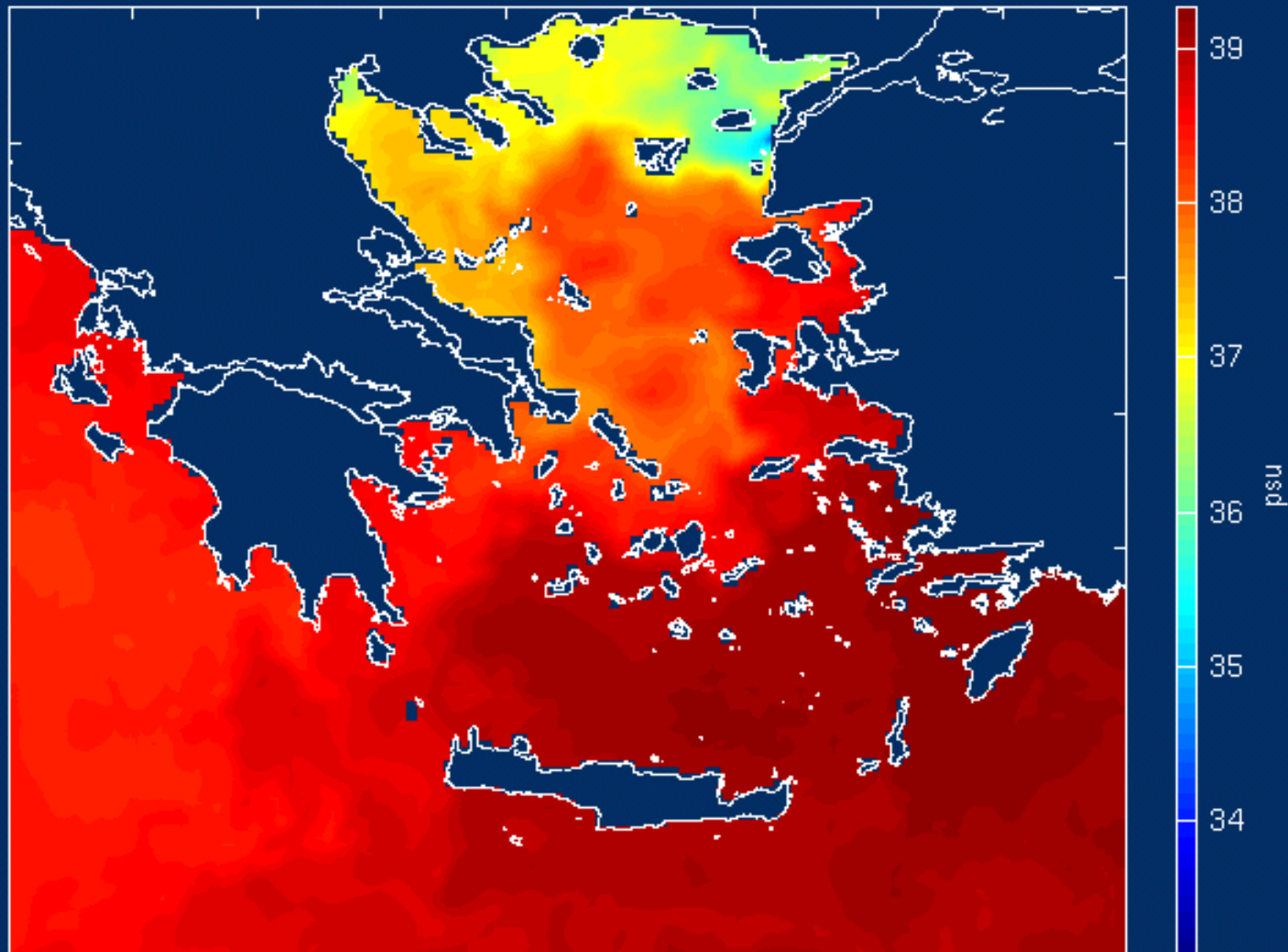
Επιφανειακή θερμοκρασία θάλασσας στις 14/12/05 Ώρα:18:00UTC



Ελληνικό Κέντρο Θαλασσιών Ερευνών, 19013, Ανάβυσσος
Σύστημα ΠΟΣΕΙΔΩΝ - <http://www.poseidon.hcmr.gr>



Επιφανειακή αλατότητα στις 15/12/05 Ώρα:12:00 UTC

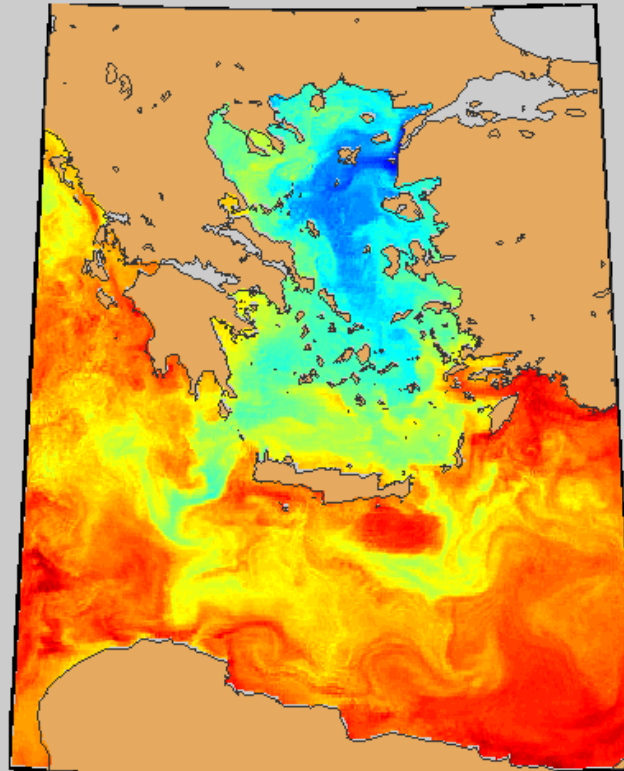


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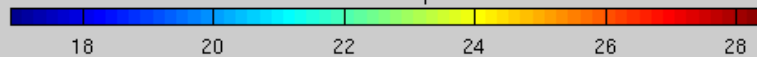


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POSEIDON System - <http://www.poseidon.hcmr.gr>

Sea Surface temperature on Sunday (27/09/09) 00:00UTC



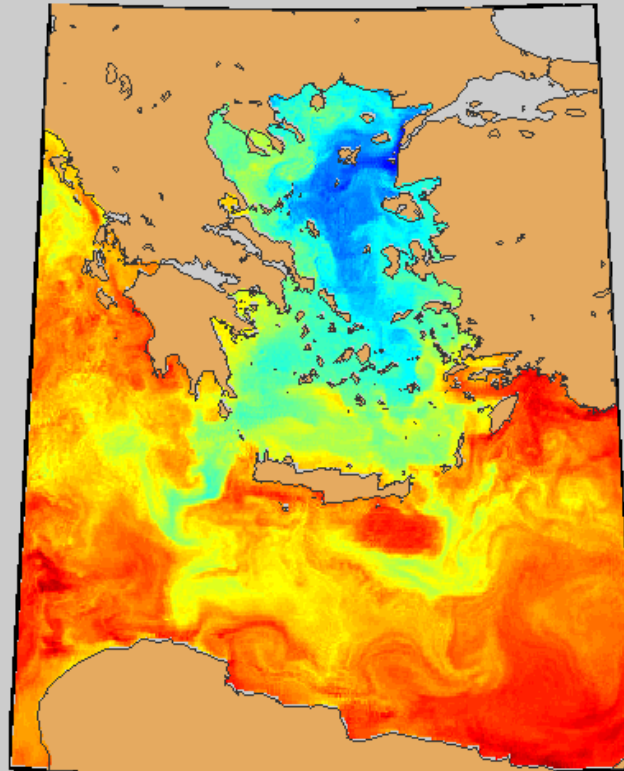
Color denotes Temperature in °C



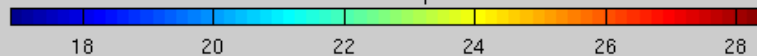


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Sea Surface temperature on Sunday (27/09/09) 06:00UTC



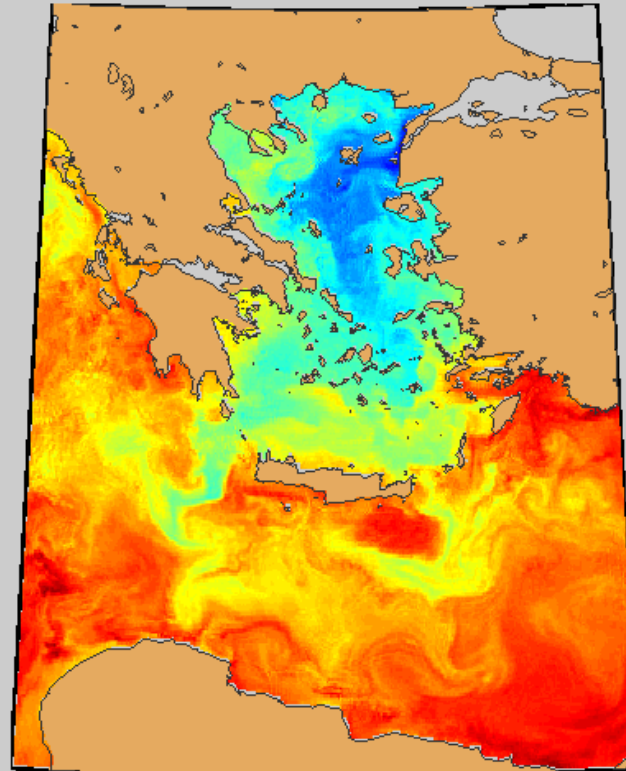
Color denotes Temperature in °C



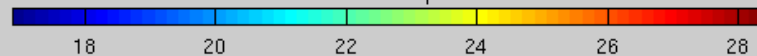


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Sea Surface temperature on Sunday (27/09/09) 12:00UTC



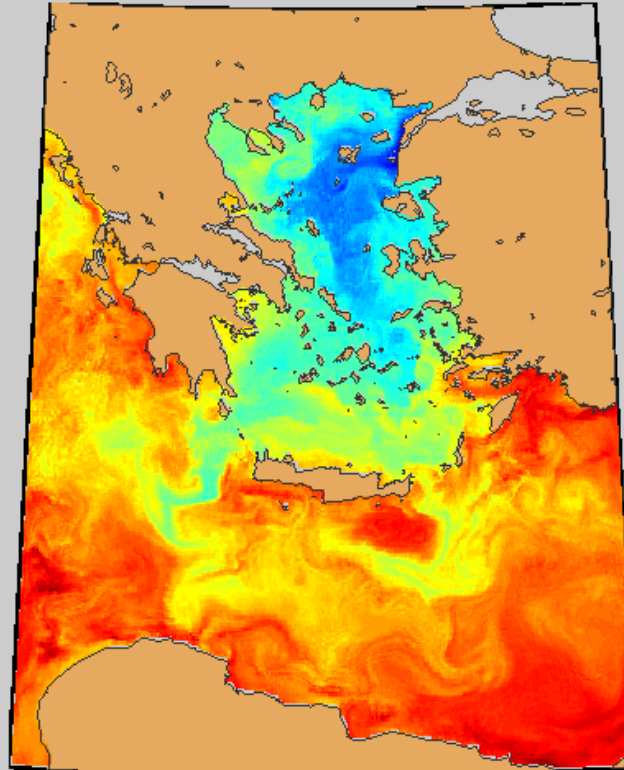
Color denotes Temperature in °C



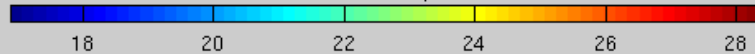


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Sea Surface temperature on Sunday (27/09/09) 18:00UTC



Color denotes Temperature in °C



18

20

22

24

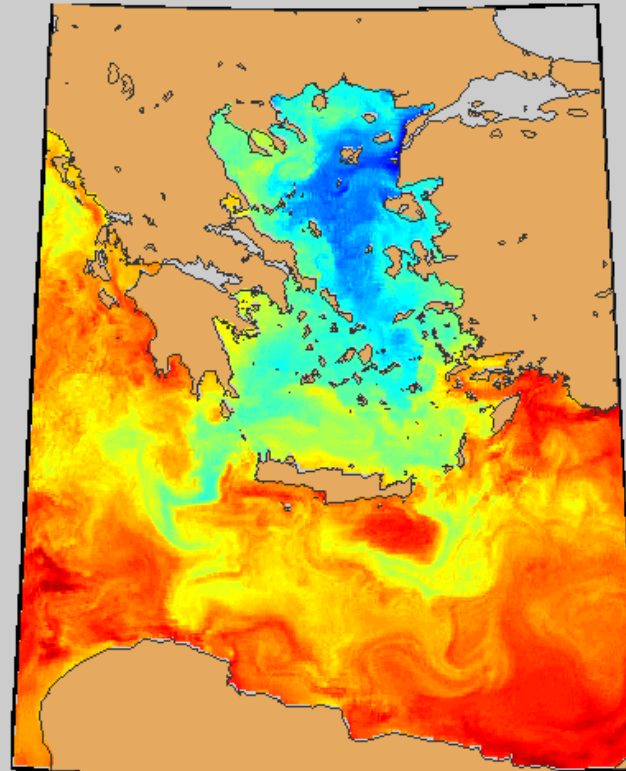
26

28

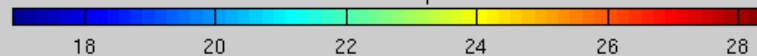


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Sea Surface temperature on Monday (28/09/09) 00:00UTC



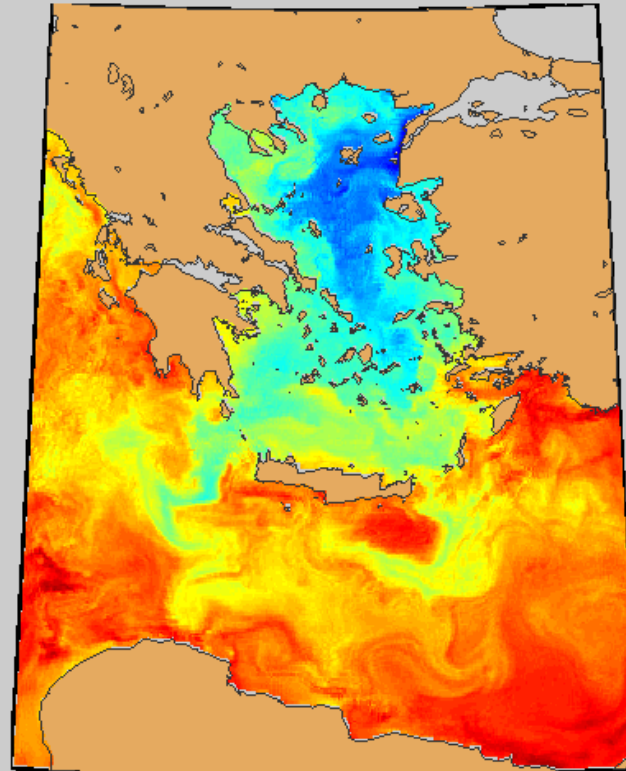
Color denotes Temperature in °C



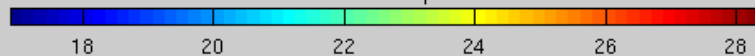


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Sea Surface temperature on Monday (28/09/09) 00:00UTC



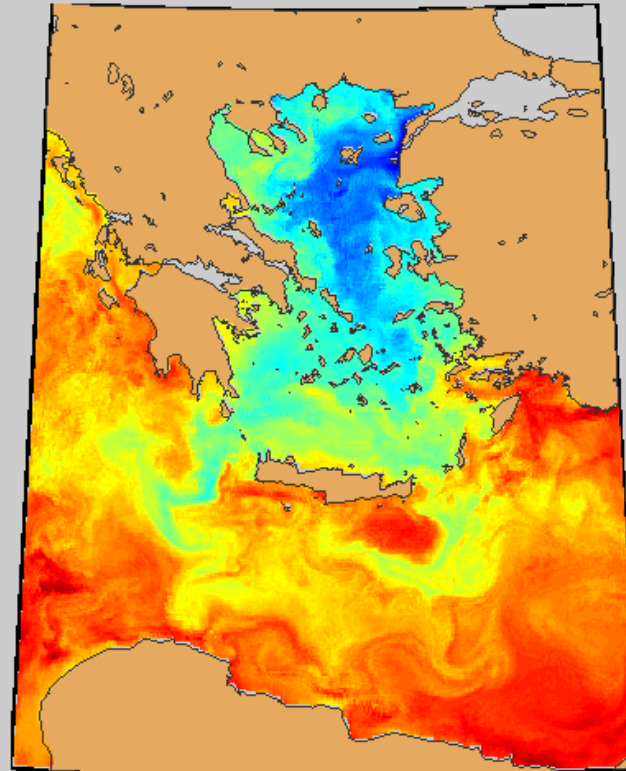
Color denotes Temperature in °C



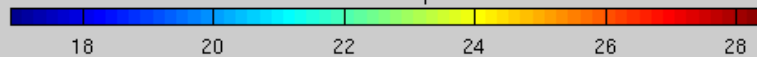


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Sea Surface temperature on Monday (28/09/09) 06:00UTC



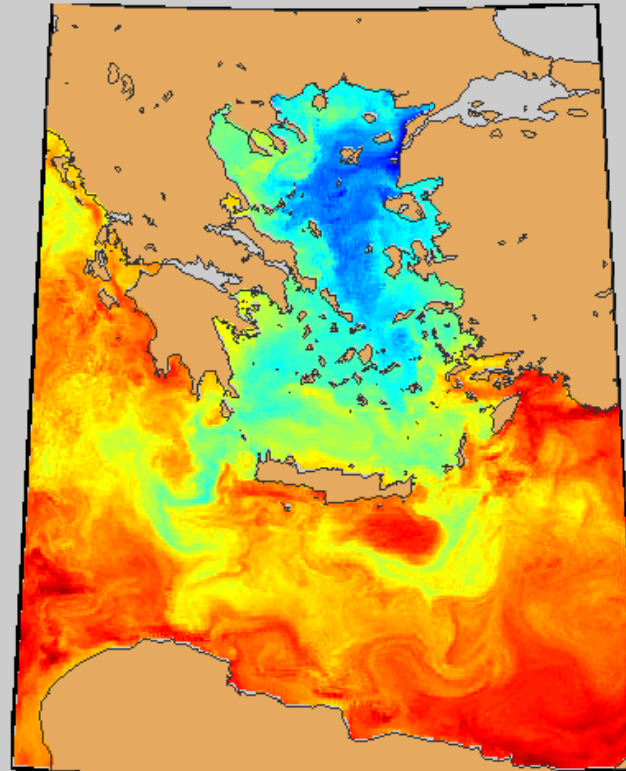
Color denotes Temperature in °C



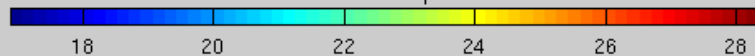


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Sea Surface temperature on Monday (28/09/09) 12:00UTC

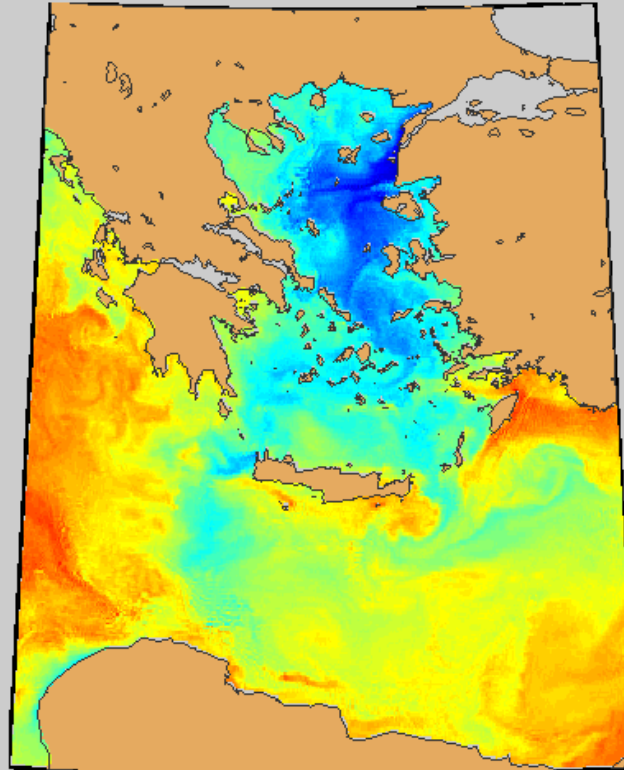


Color denotes Temperature in °C

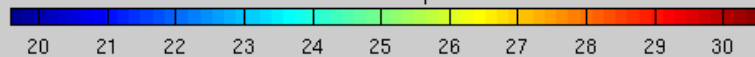




Sea Surface temperature on Thursday (20/09/18) 06:00UTC

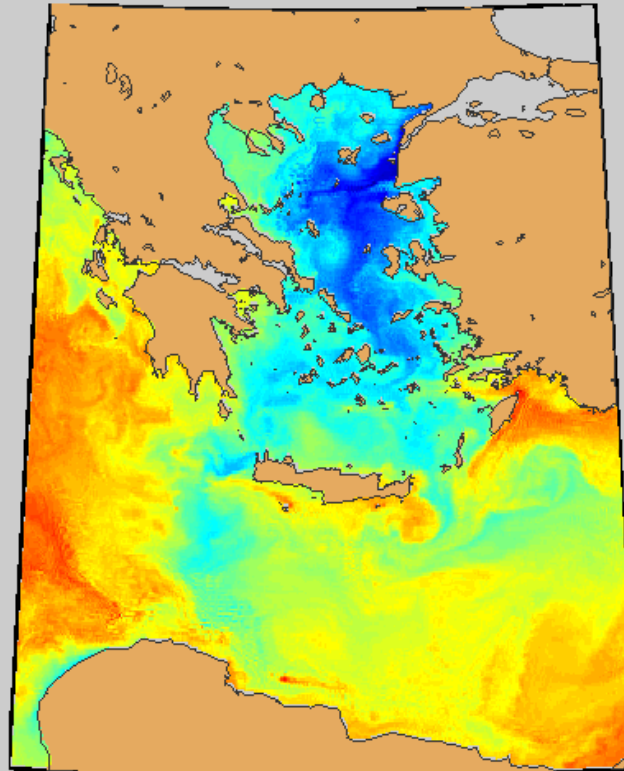


Color denotes Temperature in °C

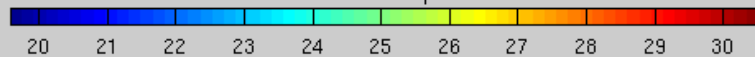




Sea Surface temperature on Friday (21/09/18) 06:00UTC



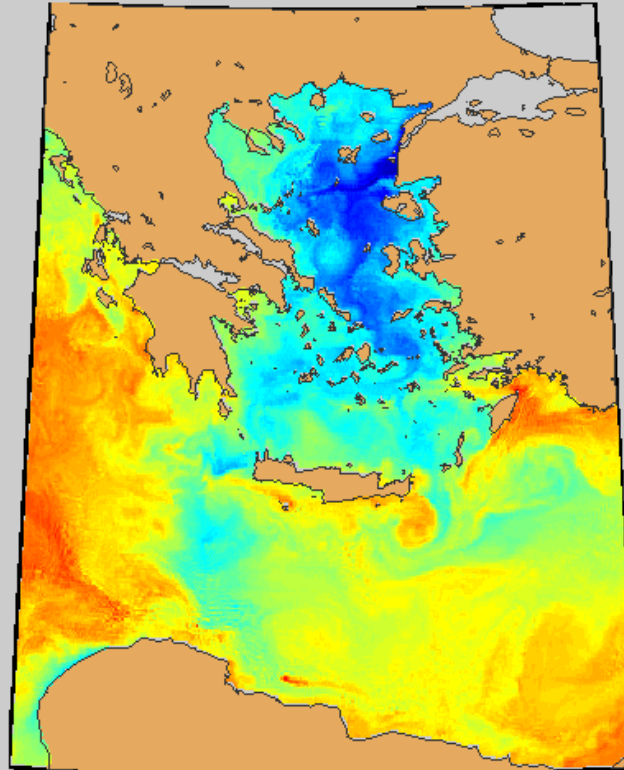
Color denotes Temperature in °C



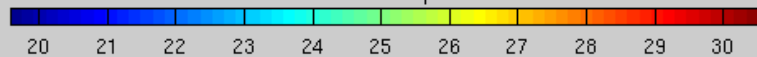


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Sea Surface temperature on Saturday (22/09/18) 06:00UTC

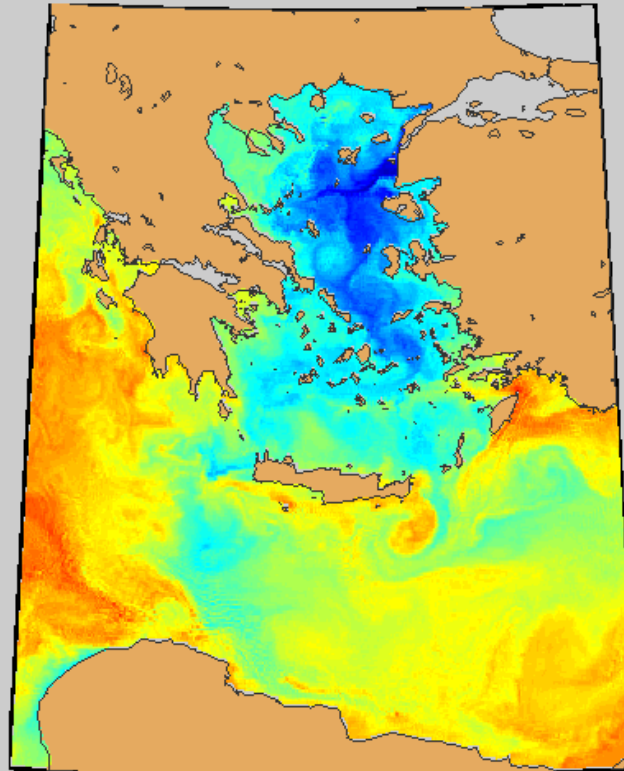


Color denotes Temperature in °C

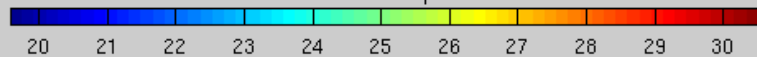




Sea Surface temperature on Sunday (23/09/16) 06:00UTC

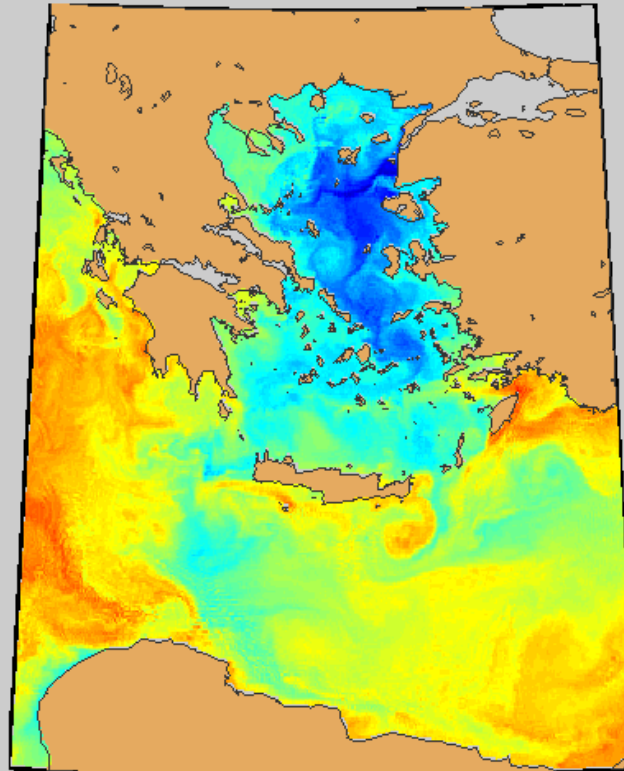


Color denotes Temperature in °C

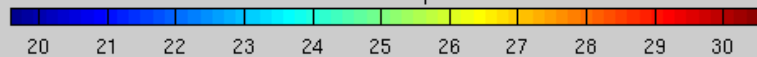




Sea Surface temperature on Monday (24/09/18) 06:00UTC

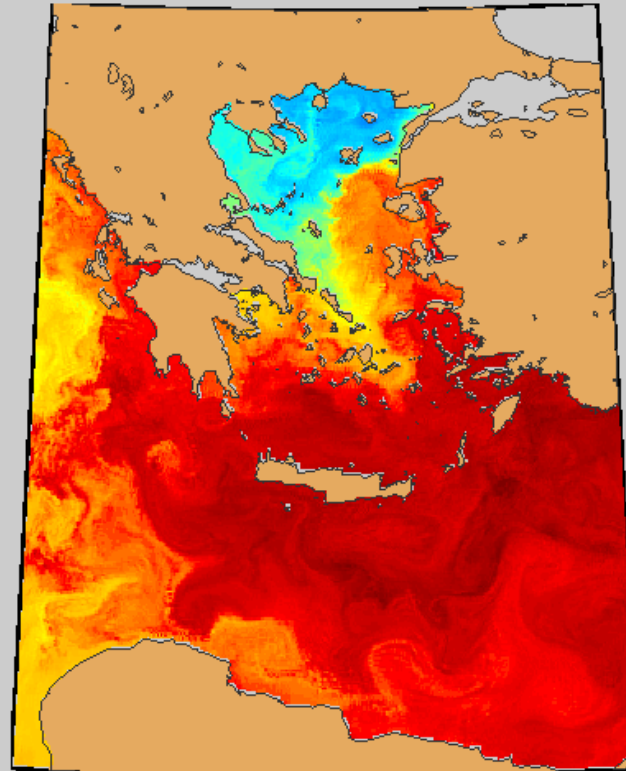


Color denotes Temperature in °C



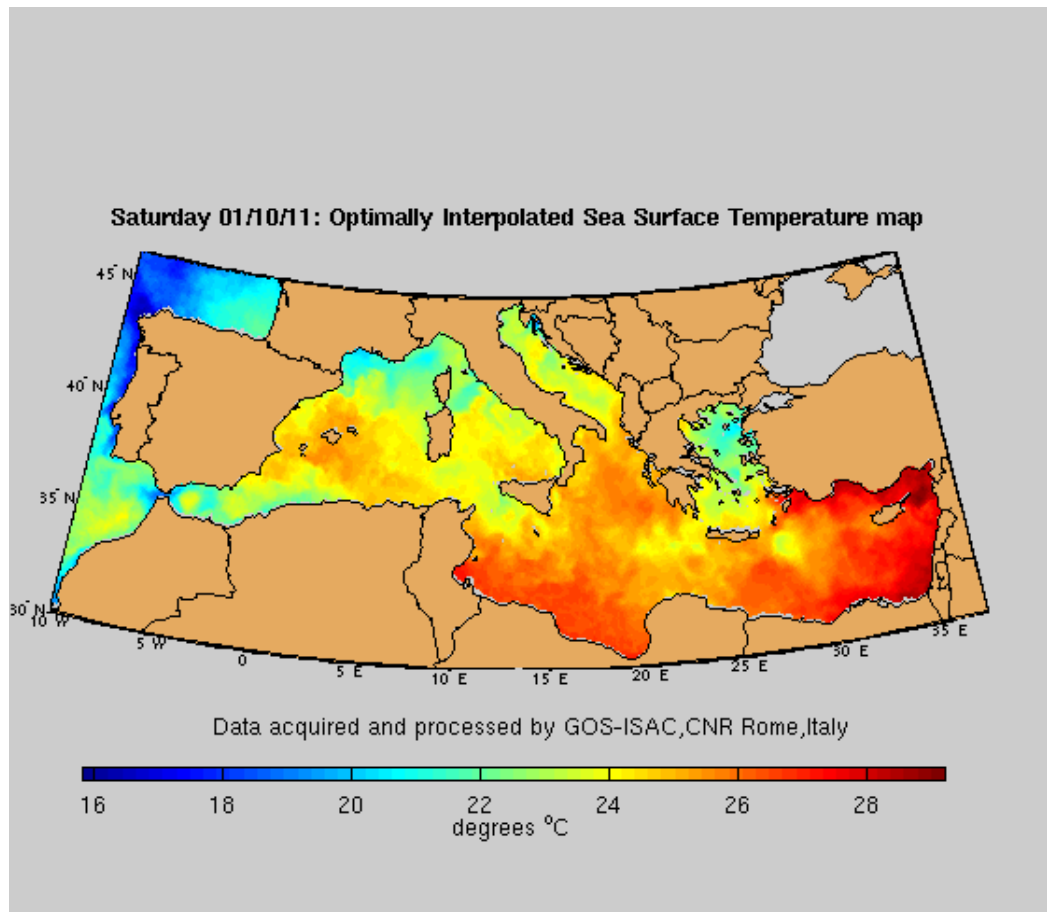


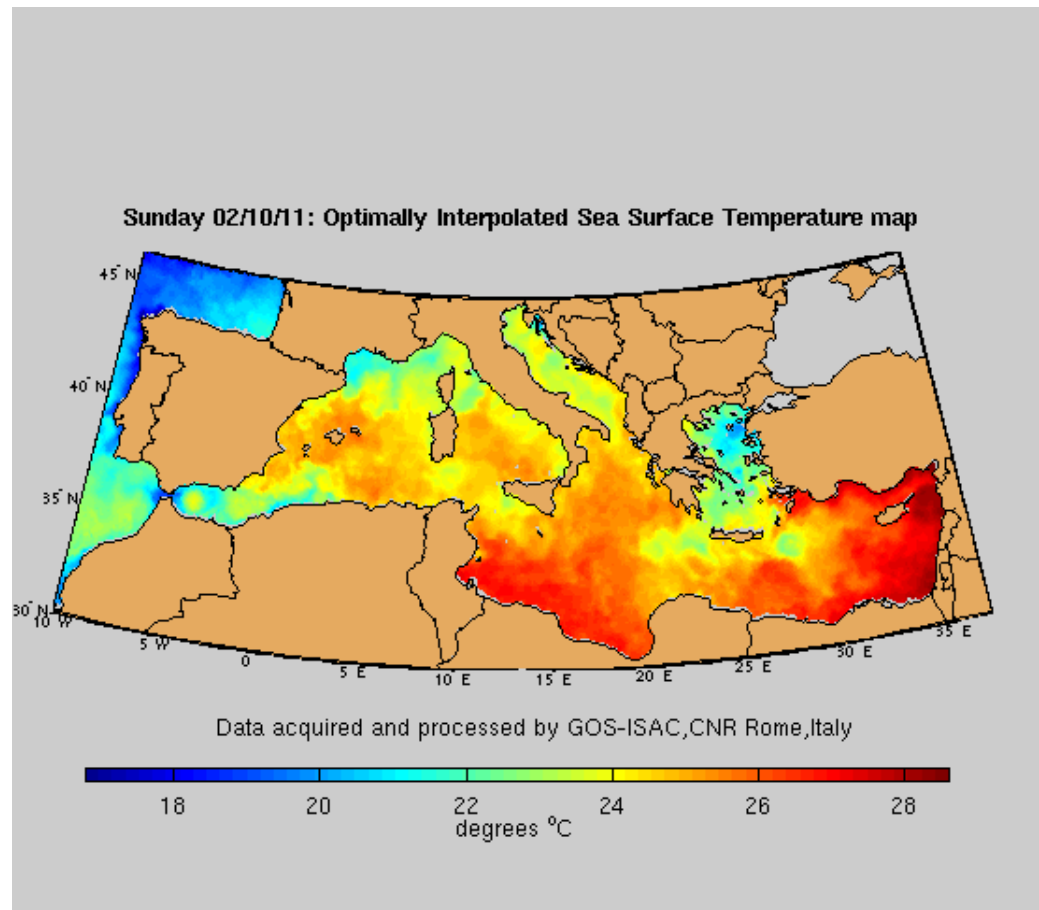
Sea Surface Salinity on Monday (28/09/09) 12:00UTC

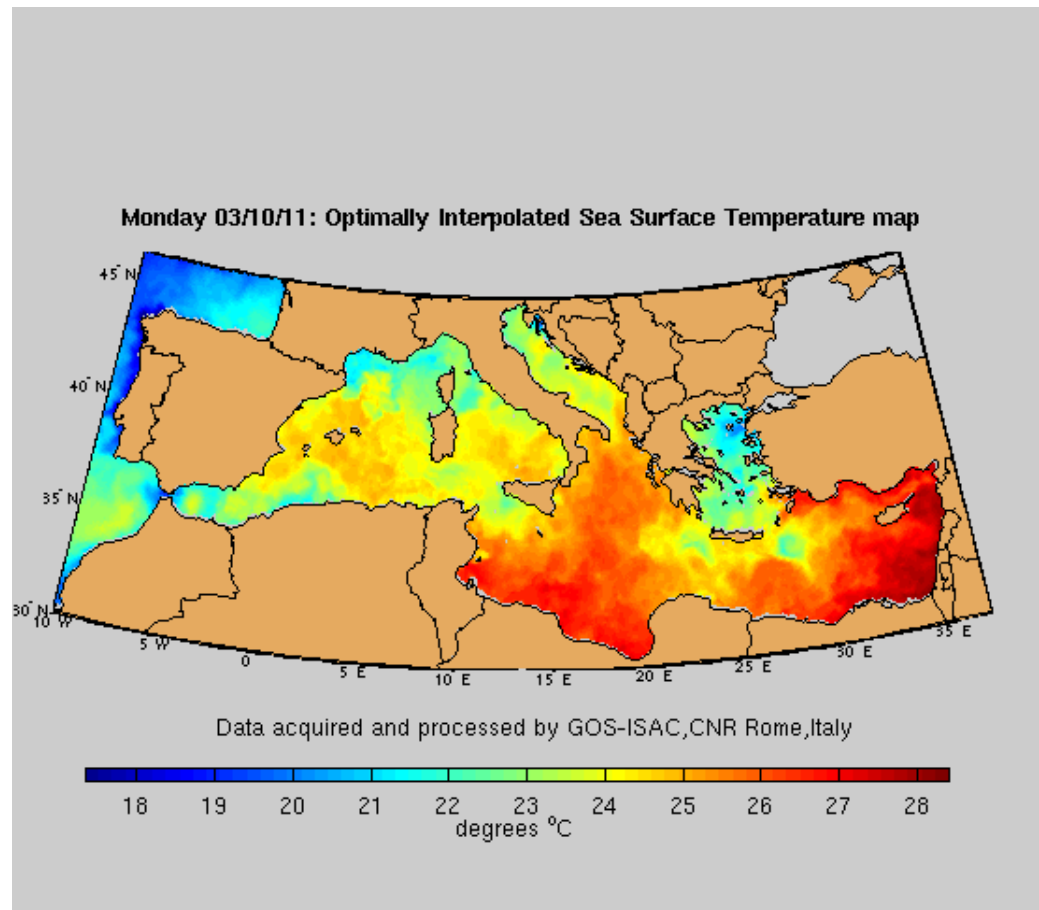


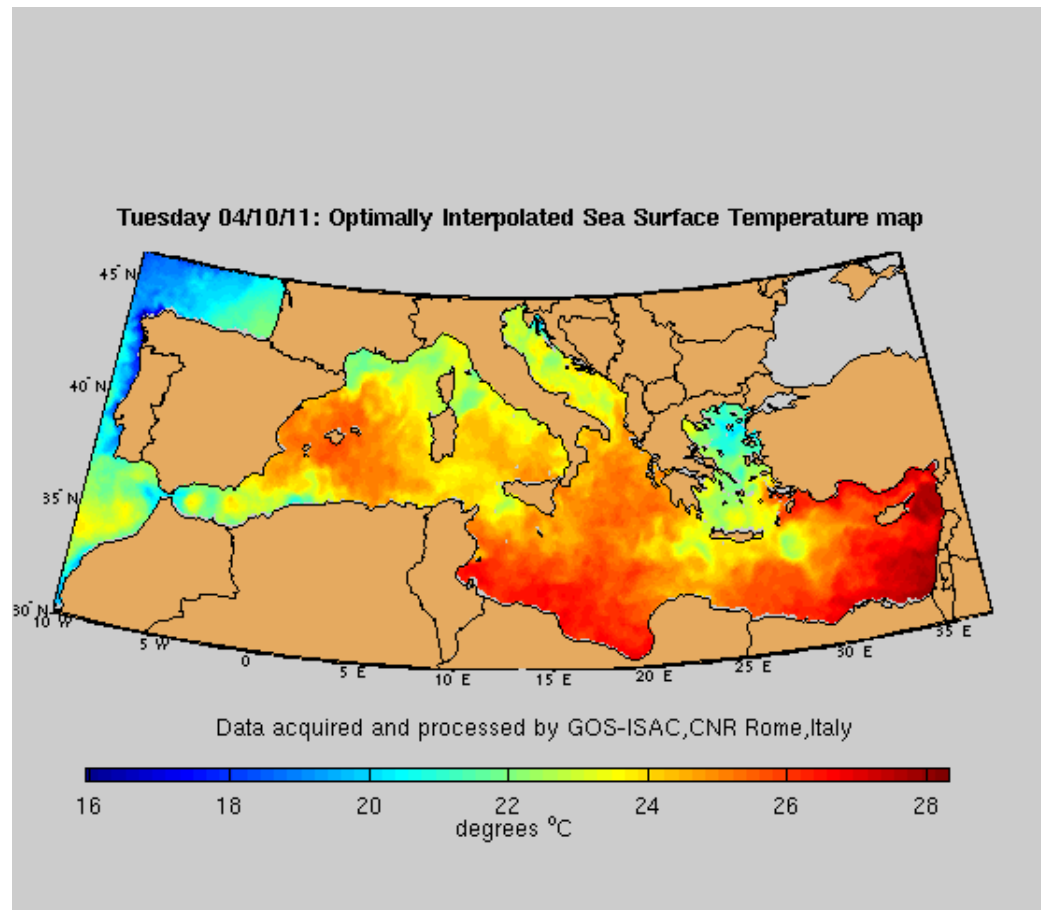
Color denotes Salinity in psu

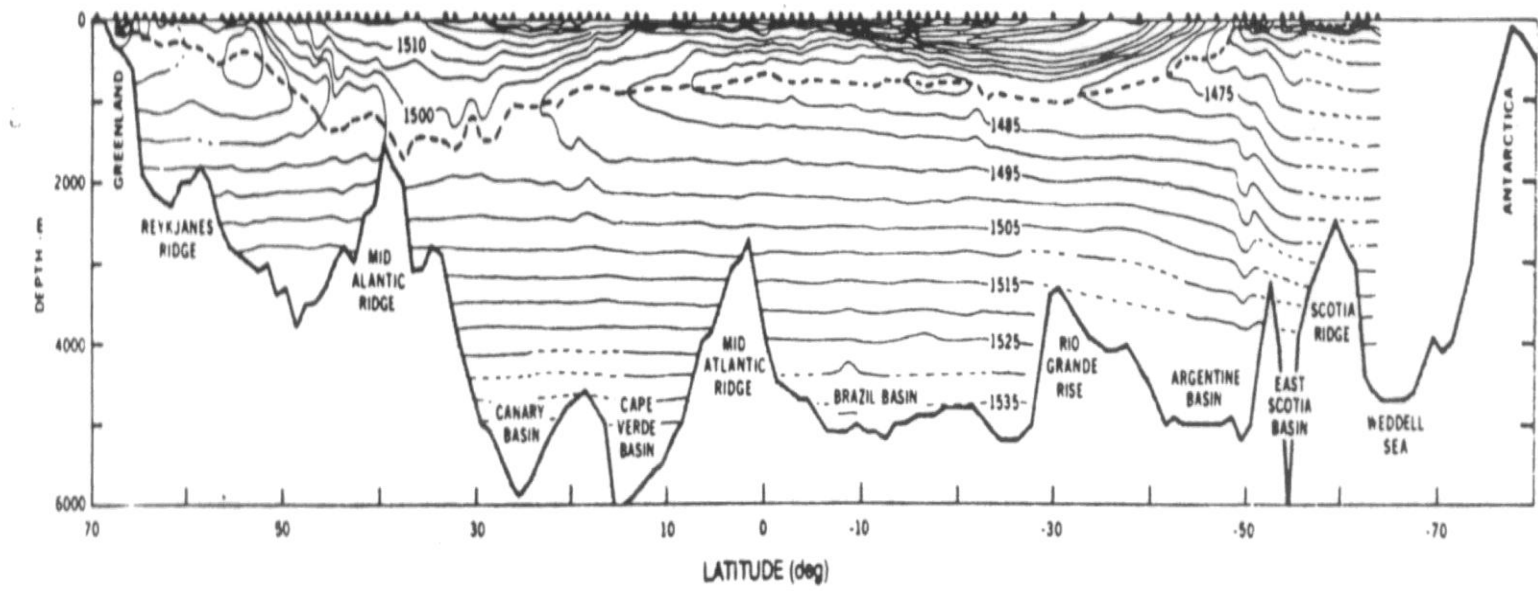


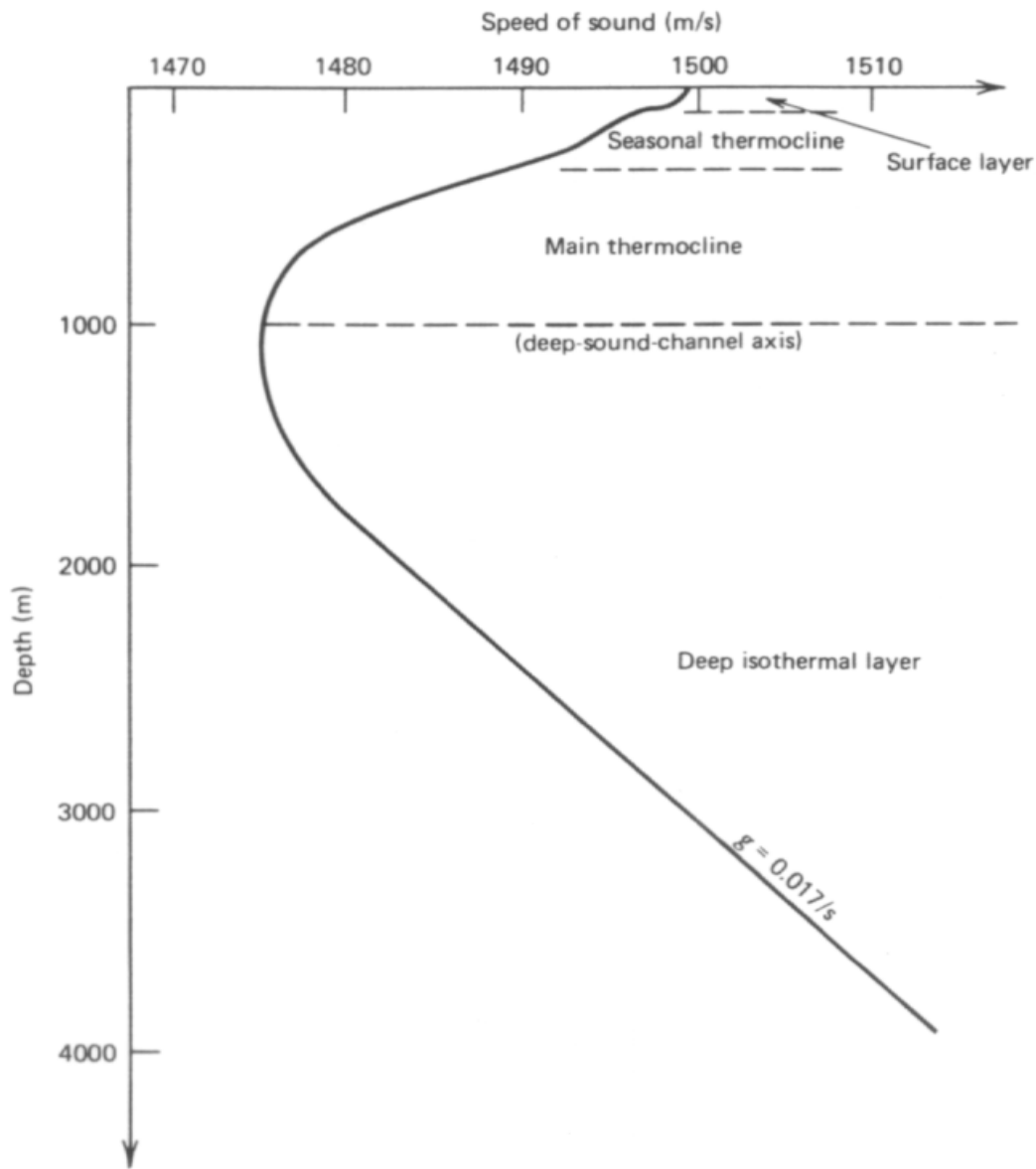


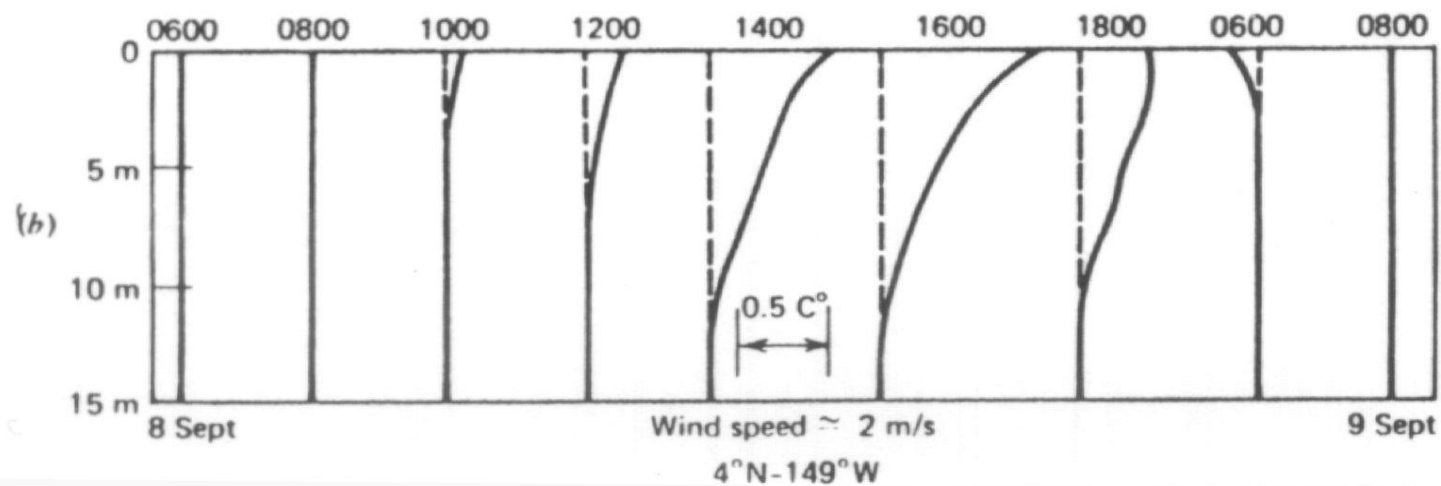
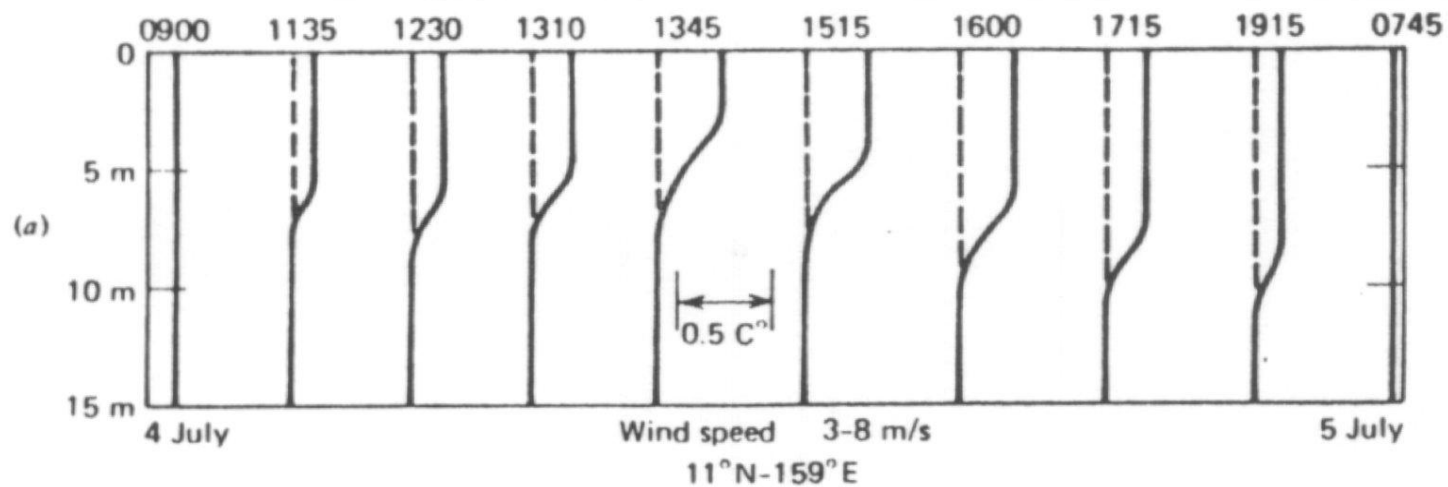












Κύματα Επιφανείας (Βαρύτητας και Επιφανειακής τάσης)



$$c = \sqrt{\frac{g}{k}}$$

όπου g είναι η επιτάχυνση της βαρύτητας = 9.8 m/s^2 και
 k είναι ο «αριθμός κύματος» οριζόμενος ως

$$k = \omega / c$$

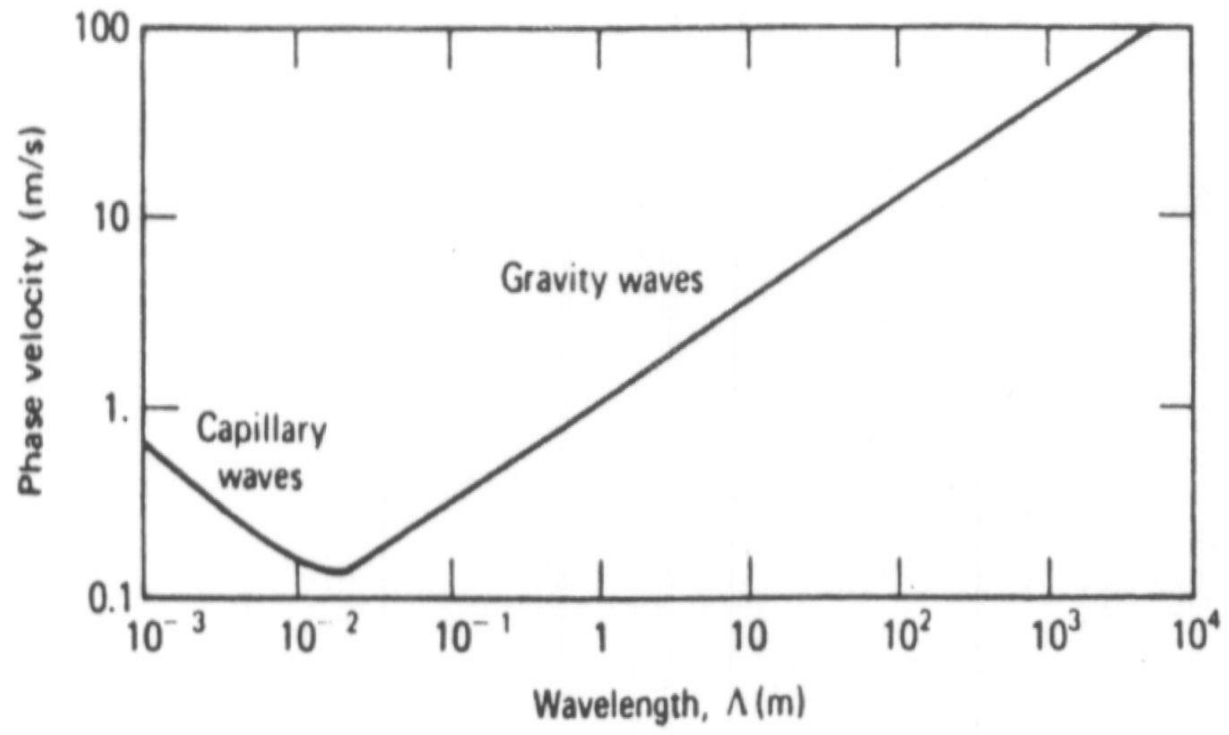
όπου ω είναι η κυκλική συχνότητα ($\omega = 2\pi f$)
 f είναι η συχνότητα σε Hz

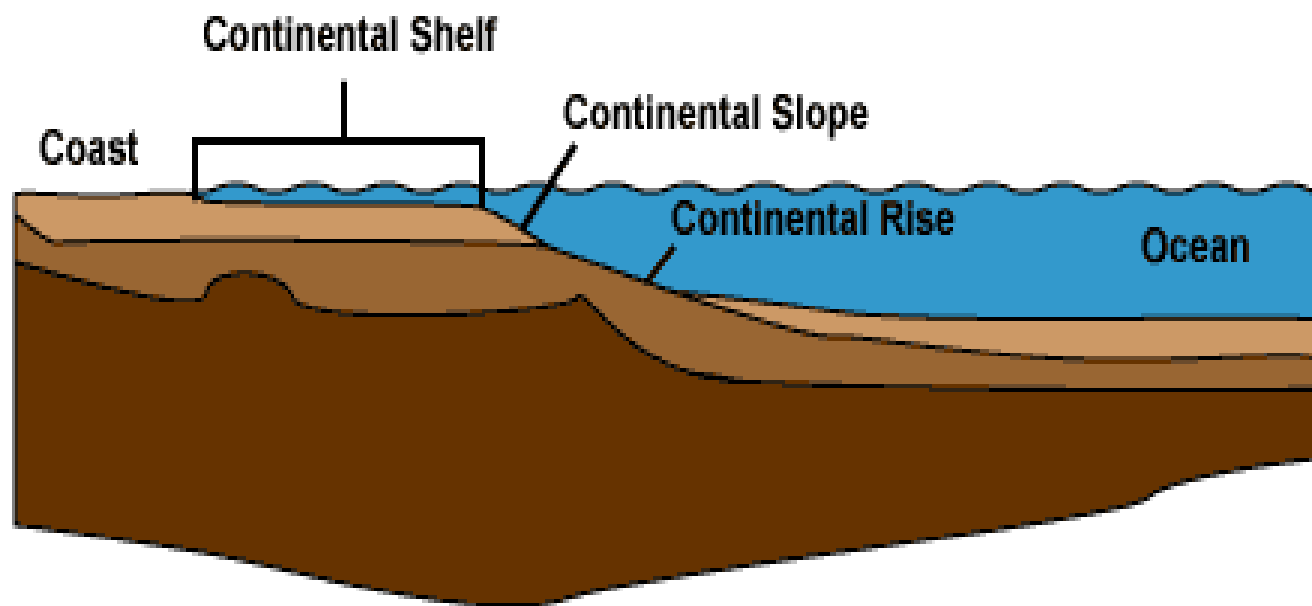
Στην περίπτωση που θεωρηθεί και η επιφανειακή τάση στον κυματισμό τότε η φασική ταχύτητα δίδεται από την σχέση

$$c = \sqrt{\frac{g}{k} + \frac{\sigma k}{\rho}}$$

όπου

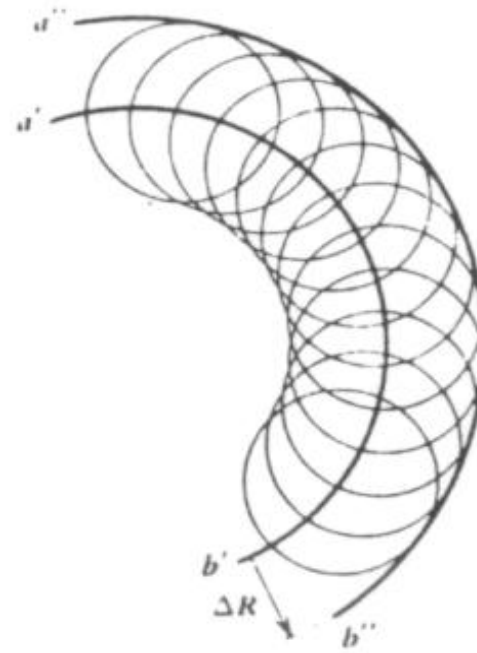
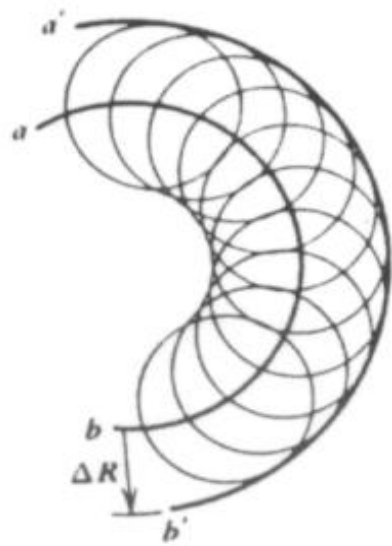
σ είναι η επιφανειακή τάση (τυπική τιμή $7.4 \times 10^{-2} \text{ N/m}$) και
 ρ είναι η πυκνότητα του νερού (kg/m^3).









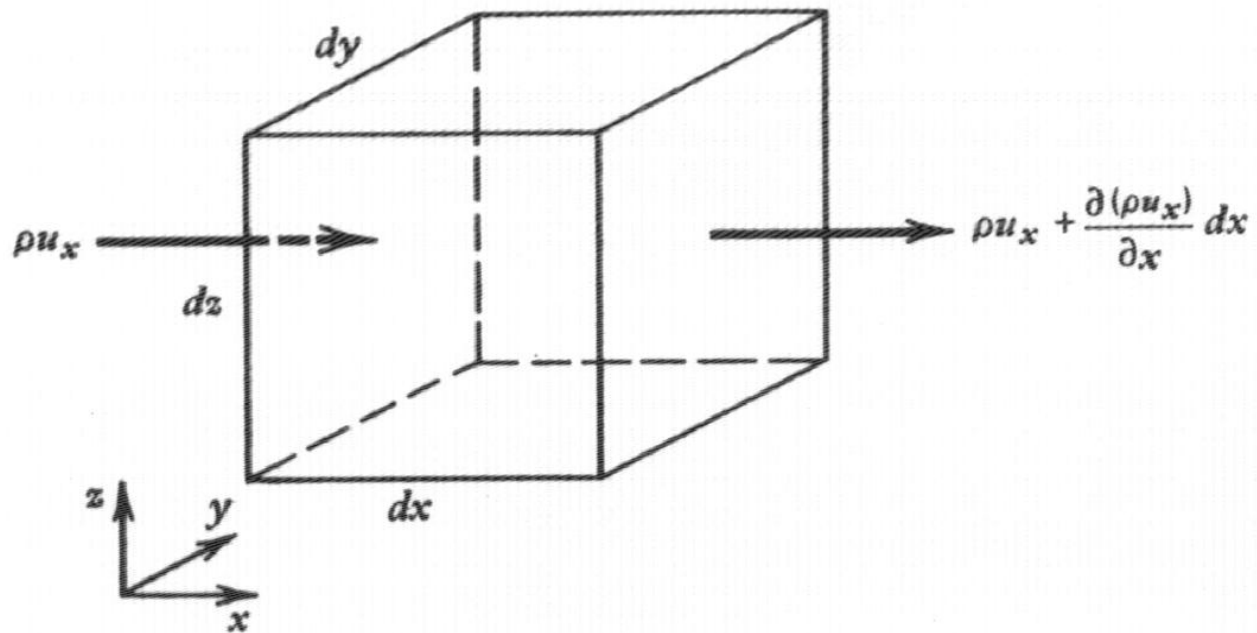


$$p = p(\vec{x}, t)$$

$$\rho = \rho(\vec{x}, t)$$

$$\vec{u} = \vec{u}(\vec{x}, t)$$

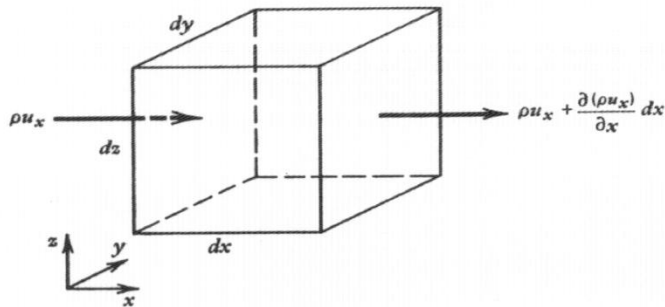
Ο ρυθμός ροής του υγρού δια μέσου του όγκου πρέπει να είναι ίσος με το ρυθμό αύξησης ή μείωσης της μάζας του ρευστού.



$$\{\rho u_x - [\rho u_x + \frac{\partial(\rho u_x)}{\partial x} dx]\} dydz = -\frac{\partial(\rho u_x)}{\partial x} dV$$

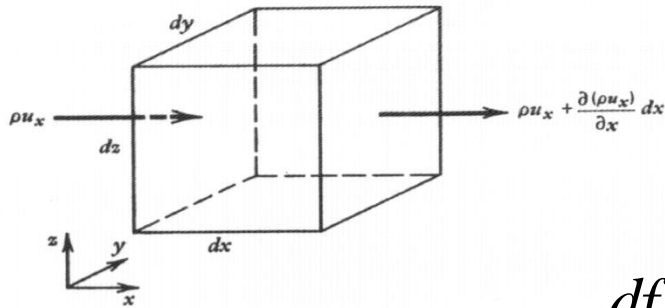
$$-\left[\frac{\partial(\rho u_x)}{\partial x} + \frac{\partial(\rho u_y)}{\partial y} + \frac{\partial(\rho u_z)}{\partial z}\right] dV = -[\nabla \cdot (\rho \vec{u})] dV$$

$\frac{\partial \rho}{\partial t} dV$. Μεταβολή μάζας στη μονάδα του χρόνου



$$-[\nabla \cdot (\rho \vec{u})] = \frac{\partial \rho}{\partial t}$$

Εξίσωση συνέχειας



$$d\vec{f} = \vec{a} dm$$

$$df_x = [p - (p + \frac{\partial p}{\partial x} dx)] dy dz = -\frac{\partial p}{\partial x} dV$$

$$d\vec{f} = -\nabla p dV$$

$$\vec{a}(x, y, z, t) = \lim_{dt \rightarrow 0} \frac{\vec{u}(x + u_x dt, y + u_y dt, z + u_z dt, t + dt) - \vec{u}(x, y, z, t)}{dt}$$

$$\vec{u} = (x + u_x dt, y + u_y dt, z + u_z dt, t + dt) =$$

$$\vec{u}(x, y, z, t) + \frac{\partial \vec{u}}{\partial t} dt + \frac{\partial \vec{u}}{\partial x} u_x dt + \frac{\partial \vec{u}}{\partial y} u_y dt + \frac{\partial \vec{u}}{\partial z} u_z dt$$

$$\vec{a}dm = -\nabla p dV$$

$$\vec{a} = \frac{\partial \vec{u}}{\partial t} + \frac{\partial \vec{u}}{\partial x} u_x + \frac{\partial \vec{u}}{\partial y} u_y + \frac{\partial \vec{u}}{\partial z} u_z$$

$$\vec{a} = \frac{\partial \vec{u}}{\partial t} + (\vec{u} \cdot \nabla) \vec{u} \quad dm = \rho dV$$

$$-\nabla p = \rho \left\{ \frac{\partial \vec{u}}{\partial t} + (\vec{u} \cdot \nabla) \vec{u} \right\}$$

Εξίσωση Euler

$$p = g(\rho)$$

Καταστατική Εξίσωση

$$\rho = \rho_0(\vec{x}, t) + \varepsilon \rho_1(\vec{x}, t)$$

$$p = p_0(\vec{x}, t) + \varepsilon p_1(\vec{x}, t)$$

$$\vec{u} = \vec{u}_0(\vec{x}, t) + \varepsilon \vec{u}_1(\vec{x}, t)$$

Εξισ. Συνέχειας

$$\frac{\partial(\rho_0 + \varepsilon \rho_1)}{\partial t} + \nabla \cdot \{(\rho_0 + \varepsilon \rho_1)(\vec{u}_0 + \varepsilon \vec{u}_1)\} = 0$$

$$\frac{\partial \rho_0}{\partial t} + \nabla \cdot \{\rho_0 \vec{u}_0\} = 0$$

$$\frac{\partial \rho_1}{\partial t} + \nabla \cdot \{\rho_0 \vec{u}_1 + \rho_1 \vec{u}_0\} = 0$$

Εξισ. Συνέχειας

$$\frac{\partial \rho_1}{\partial t} + \nabla \cdot \{\rho_0 \vec{u}_1\} = 0$$

Εξίσωση Euler

$$-\nabla p_1 = \rho_0 \frac{\partial \vec{u}_1}{\partial t}$$

Καταστατική

$$p_1 = \frac{\partial p_0}{\partial \rho_0} \rho_1$$

$$-\nabla^2 p_1 = \nabla \cdot \left(\rho_0 \frac{\partial \vec{u}_1}{\partial t} \right)$$



$$-\nabla^2 p_1 = -\frac{\partial^2 \rho_1}{\partial t^2}$$

$$\frac{\partial^2 \rho_1}{\partial t^2} + \nabla \cdot \left(\rho_0 \frac{\partial \vec{u}_1}{\partial t} \right) = 0$$

Υποθέτουμε ότι $\vec{u}_0 = 0$

$$\rho_1 = \rho_0 \frac{1}{\frac{\partial p_0}{\partial \rho_0}}$$

$$\frac{\partial p_0}{\partial \rho_0} \equiv c^2$$

Θερμοδυναμικός Ορισμός
Ταχύτητας

$$\nabla^2 p_1 = \frac{1}{c^2} \frac{\partial^2 p_1}{\partial t^2}$$

Κυματική Εξίσωση

$$p_1(\vec{x}, t) = \bar{p}(\vec{x})T(t)$$

$$\bar{p}(\vec{x}) \equiv p(\vec{x})$$

$$\nabla^2 p_1 = \frac{1}{c^2} \frac{\partial^2 p_1}{\partial t^2}$$

$$T \nabla^2 p = \frac{1}{c^2} p \frac{d^2 T}{dt^2}$$

$$\frac{c^2}{p} \nabla^2 p = \frac{1}{T} \frac{d^2 T}{dt^2}$$

$$\frac{c^2}{p} \nabla^2 p = \frac{1}{T} \frac{d^2 T}{dt^2} = -\omega^2$$

$$\nabla^2 p + \frac{\omega^2}{c^2} p = 0$$

$$\frac{d^2 T}{dt^2} + \omega^2 T = 0$$

$$T = Ae^{i\omega t} + Be^{-i\omega t} \quad T = A' \cos(\omega t) + B' \sin(\omega t)$$

$$T = e^{-i\omega t}$$

$$p_1(\vec{x}, t) = \bar{p}(\vec{x})T(t)$$

$$p_1(\vec{x}, t) = p(\vec{x})e^{-i\omega t}$$

$$\nabla^2 p + \frac{\omega^2}{c^2} p = 0$$

$$\nabla^2 \equiv \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} + \frac{\partial^2}{\partial z^2}$$

$$\left(\frac{\omega}{c}\right)^2 = k^2 = k_x^2 + k_y^2 + k_z^2$$

$$p(x, y, z) = p_x(x)p_y(y)p_z(z)$$

$$\frac{\partial^2 p_x}{\partial x^2} \cdot \frac{1}{p_x} + \frac{\partial^2 p_y}{\partial y^2} \cdot \frac{1}{p_y} + \frac{\partial^2 p_z}{\partial z^2} \cdot \frac{1}{p_z} + k_x^2 + k_y^2 + k_z^2 = 0$$

$$\frac{d^2 p_x}{dx^2} + k_x^2 p_x = 0$$

$$p_x(x) = A_1 e^{ik_x x} + A_2 e^{-ik_x x}$$

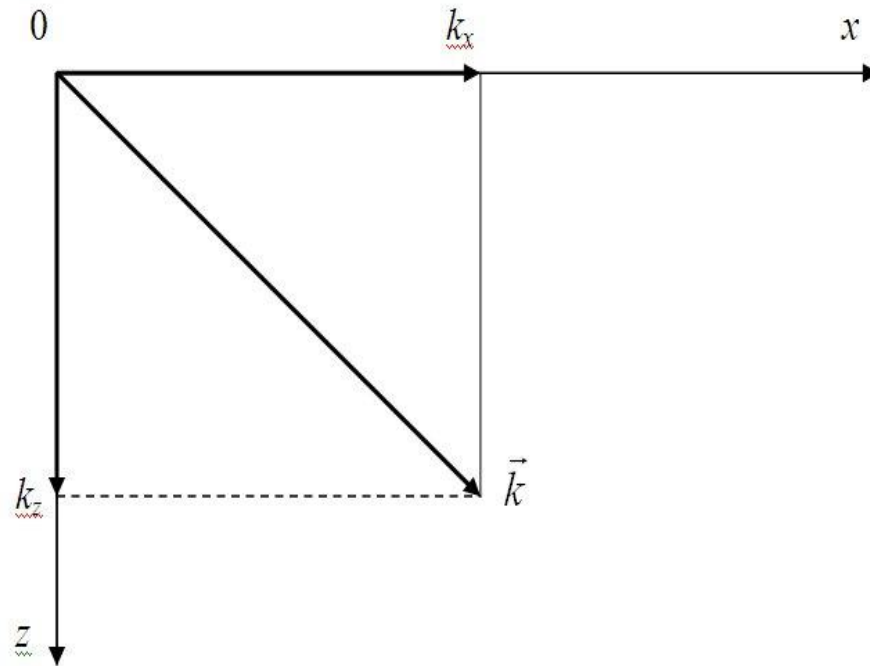
$$\frac{d^2 p_y}{dy^2} + k_y^2 p_y = 0$$

$$p_y(x) = B_1 e^{ik_y y} + B_2 e^{-ik_y y}$$

$$\frac{d^2 p_z}{dz^2} + k_z^2 p_z = 0$$

$$p_z(x) = C_1 e^{ik_z z} + C_2 e^{-ik_z z}$$

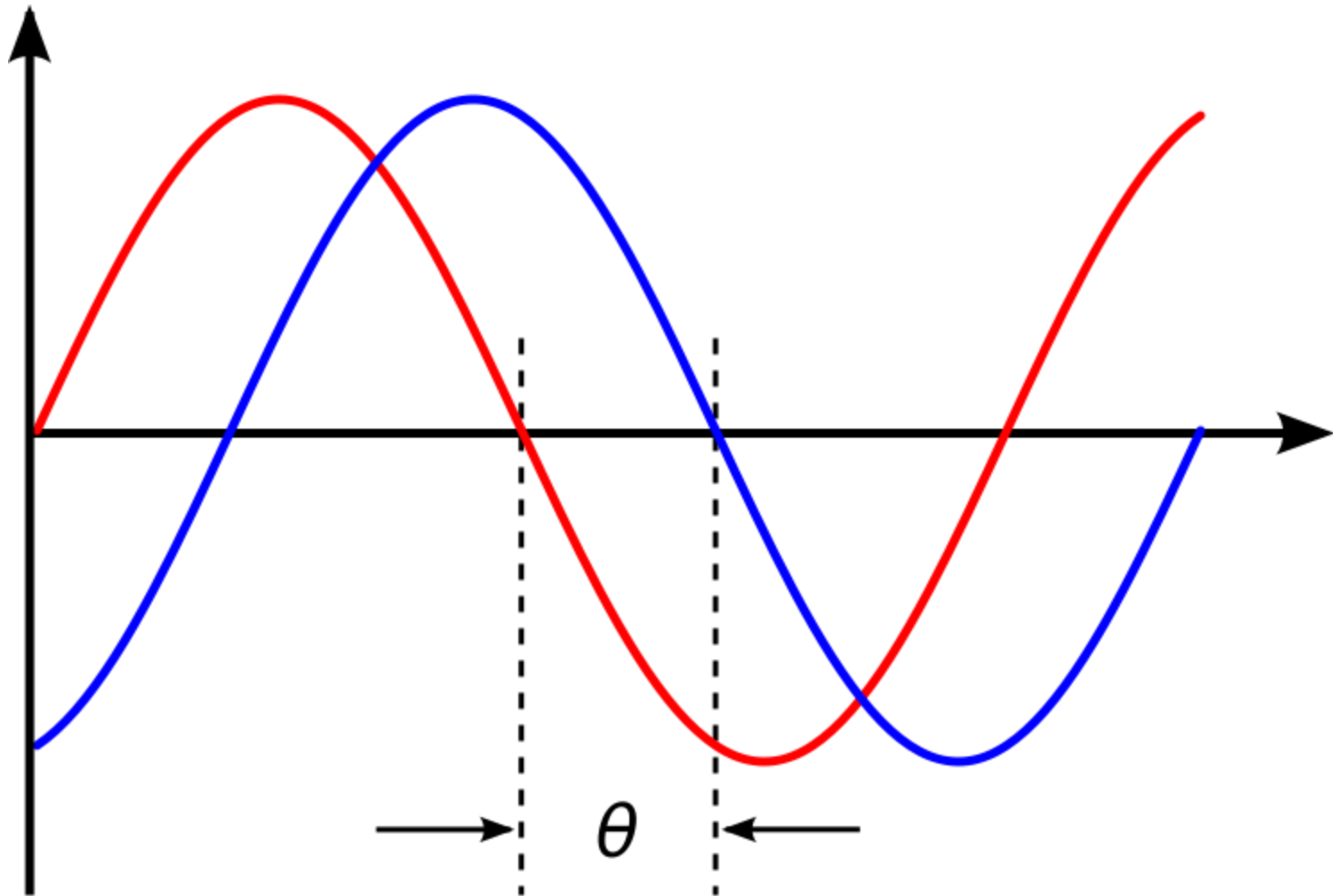
$$p_1(x,t) = p_x(x)e^{-i\omega t} = (A_1e^{ik_x x} + A_2e^{-ik_x x})e^{-i\omega t} = A_1e^{i(k_x x - \omega t)} + A_2e^{i(-k_x x - \omega t)}$$



$$p_1(x, y, z, t) = A_1 B_1 C_1 e^{i(k_x x + k_y y + k_z z - \omega t)}$$

$$p_1(x, y, z, t) = D e^{i(\vec{k} \cdot \vec{x} - \omega t)}$$

Μέτωπο κύματος : Γεωμετρικός τόπος σημείων σταθερής φάσης



Μέτωπο κύματος

\vec{k}

A diagram illustrating a wavefront. A light blue shaded quadrilateral represents the wavefront, bounded by a dashed red line. A black arrow labeled \vec{k} points from the center of the quadrilateral towards the right, indicating the direction of wave propagation.